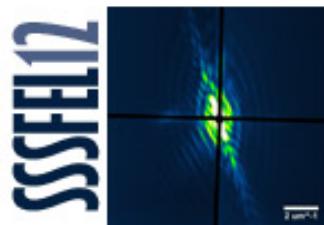


A proposal for a mode-locked hard x-ray free-electron laser

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Argonne National Laboratory



Seeding and Self-seeding at New FEL Sources
ICTP, Adriatico Guesthouse / Trieste, Italy / 10-12 December 2012

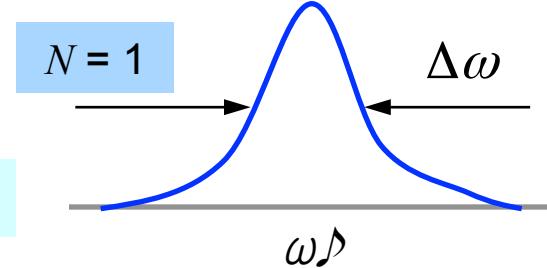


Cavity modes and frequency comb*

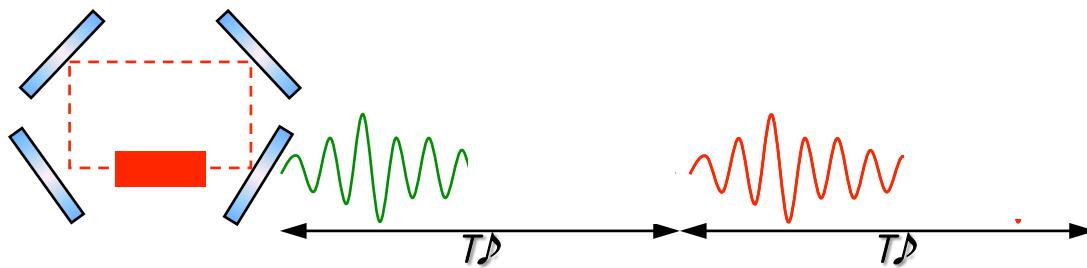
Single pulse ↴



- $\Delta\omega$ is defined by atomic linewidth or gain bandwidth

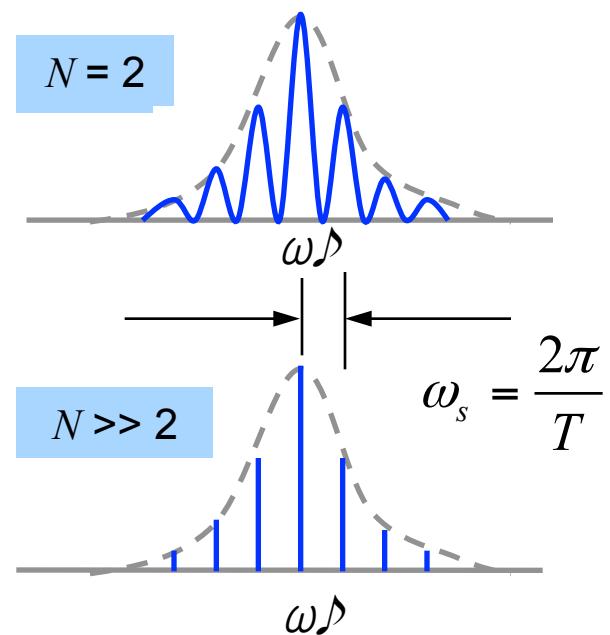


Cavity with a round trip time = T ↴



A repeated waveform generates a spectral comb

- Mode spacing $\omega_s = 2\pi/T$
- Number of modes: $M = \Delta\omega/\omega_s$
- Linewidth of a mode $\sim 1/N$



* A. E. Siegman, *Lasers* (University Science Books, Sausalito, USA, 1986). See Chap. 27.

Signal

$$\varepsilon^{(N)}(t) = \sum_{n=0}^{N-1} \varepsilon(t - nT)$$

Spectral intensity

$$I^{(N)}(\omega) \sim |\tilde{\varepsilon}^{(N)}(\omega)|^2$$

Applying Fourier time shifting identity and summation

$$F\{\varepsilon(t - nT)\} = e^{-in\omega T} F\{\varepsilon(t)\}$$

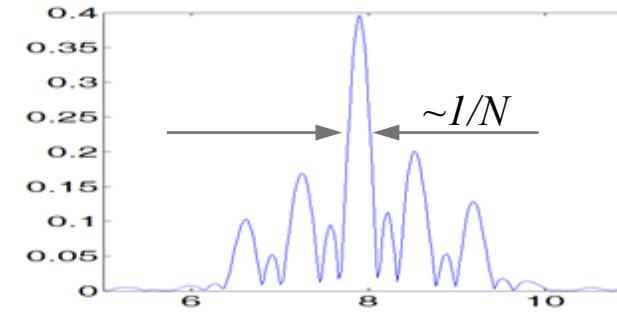
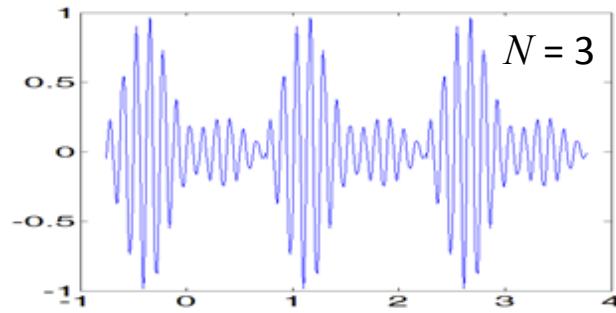
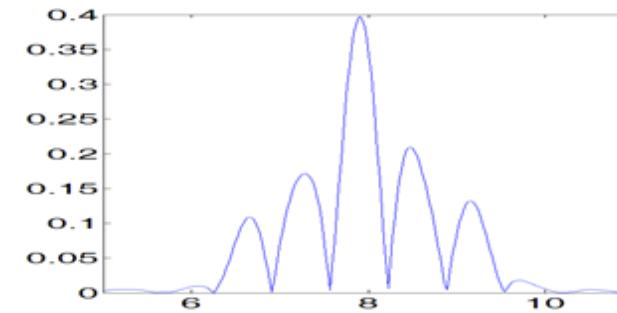
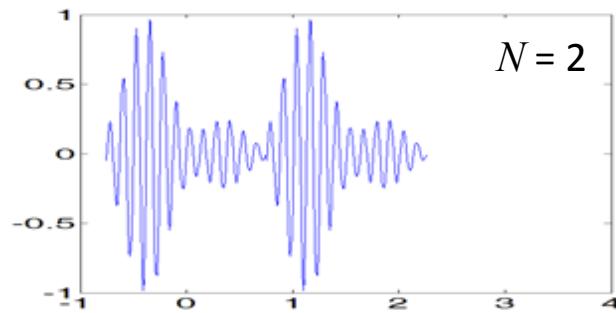
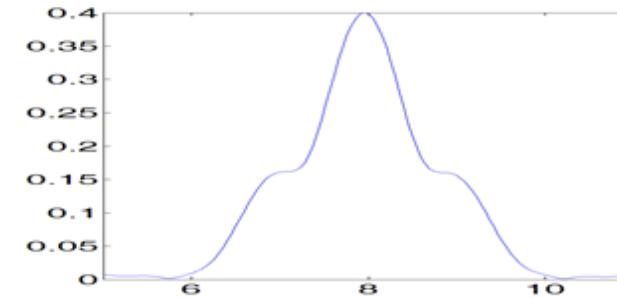
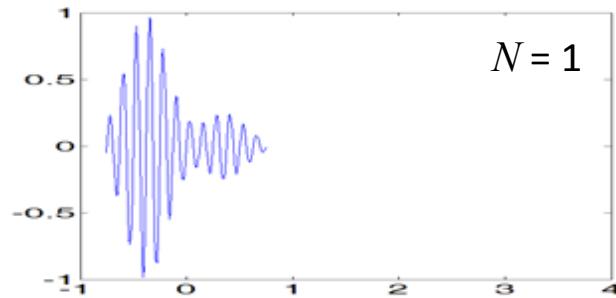
$$\sum_{n=0}^{N-1} e^{in\omega T} = (1 - e^{iN\omega T}) / (1 - e^{i\omega T})$$

One obtains:

$$I^{(N)}(\omega) = \left(\frac{\sin(N\omega T / 2)}{\sin(\omega T / 2)} \right)^2 I^{(0)}(\omega)$$



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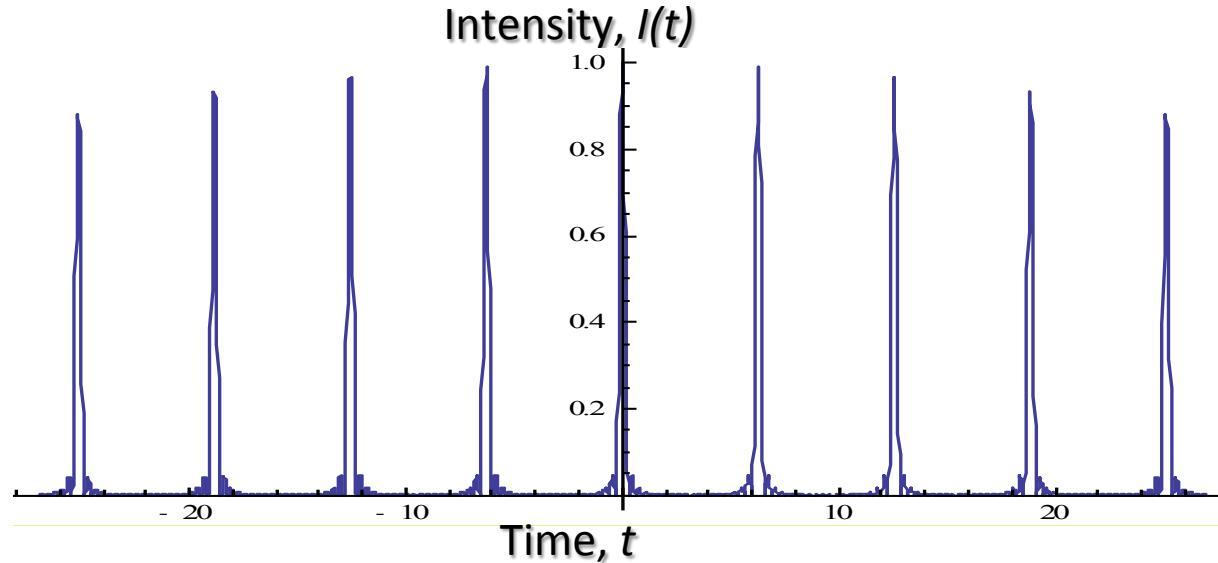


When the axial modes are all in phase, then the time-domain signal has a pulsed pattern, closely resembling the comb structure of the frequency domain:

$$\mathcal{E}^{(N)}(t) = \mathcal{E}_0 \sum_{n=0}^{N-1} e^{-i(\omega_0 + n\omega_s)t} = \mathcal{E}_0 e^{-i\omega_0 t} \frac{1 - e^{-iN\omega_s t}}{1 - e^{-i\omega_s t}}$$

(equal field amplitudes are assumed for simplicity)

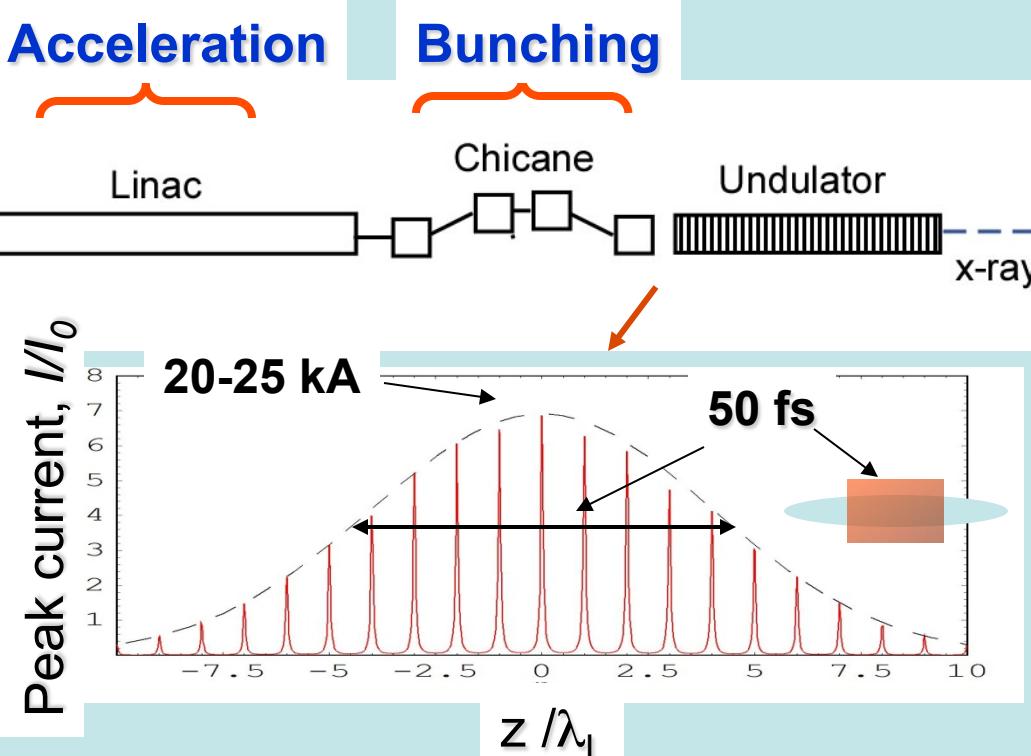
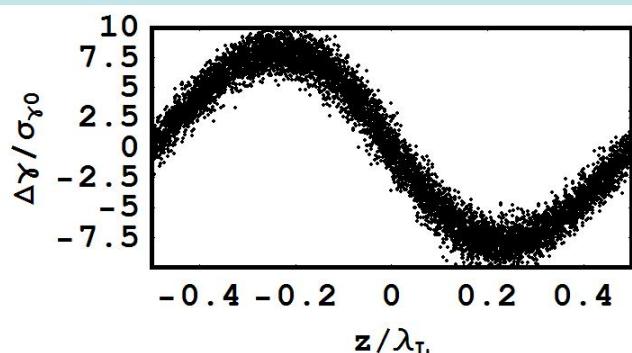
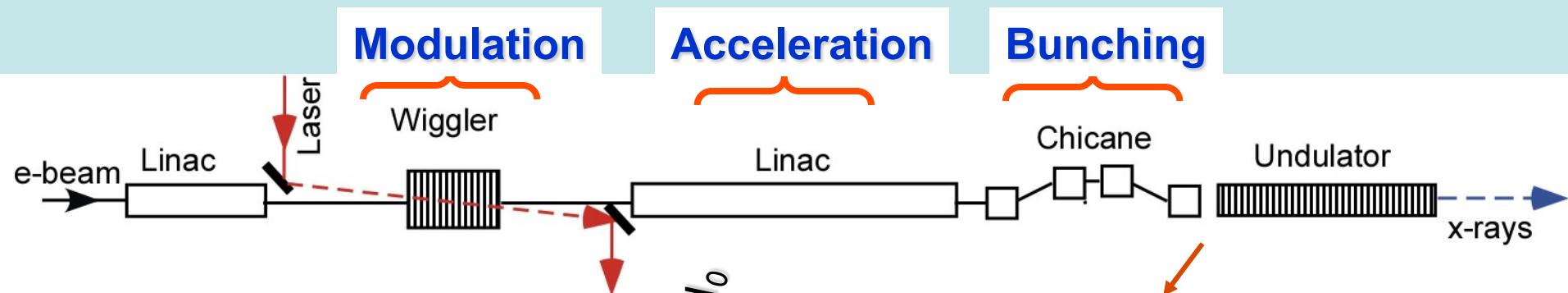
$$I^{(N)}(t) = \left(\frac{\sin(N\omega t / 2)}{\sin(\omega t / 2)} \right)^2 I^{(0)}(t)$$



Modulation at round trip frequency or gain modulation causes mode-locking. A periodic pulse structure of sufficiently short pulses can be obtained when mode phase lock. Often locking only neighboring modes is sufficient.

FEL gain modulation through peak current modulation*

Optical manipulation of electrons to obtain a “train” of microbunches

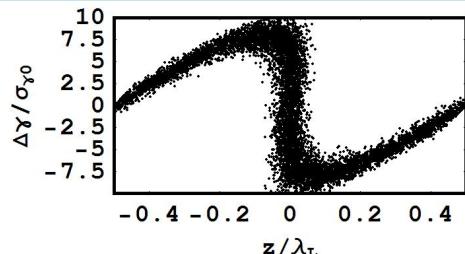


Only one optical cycle is shown

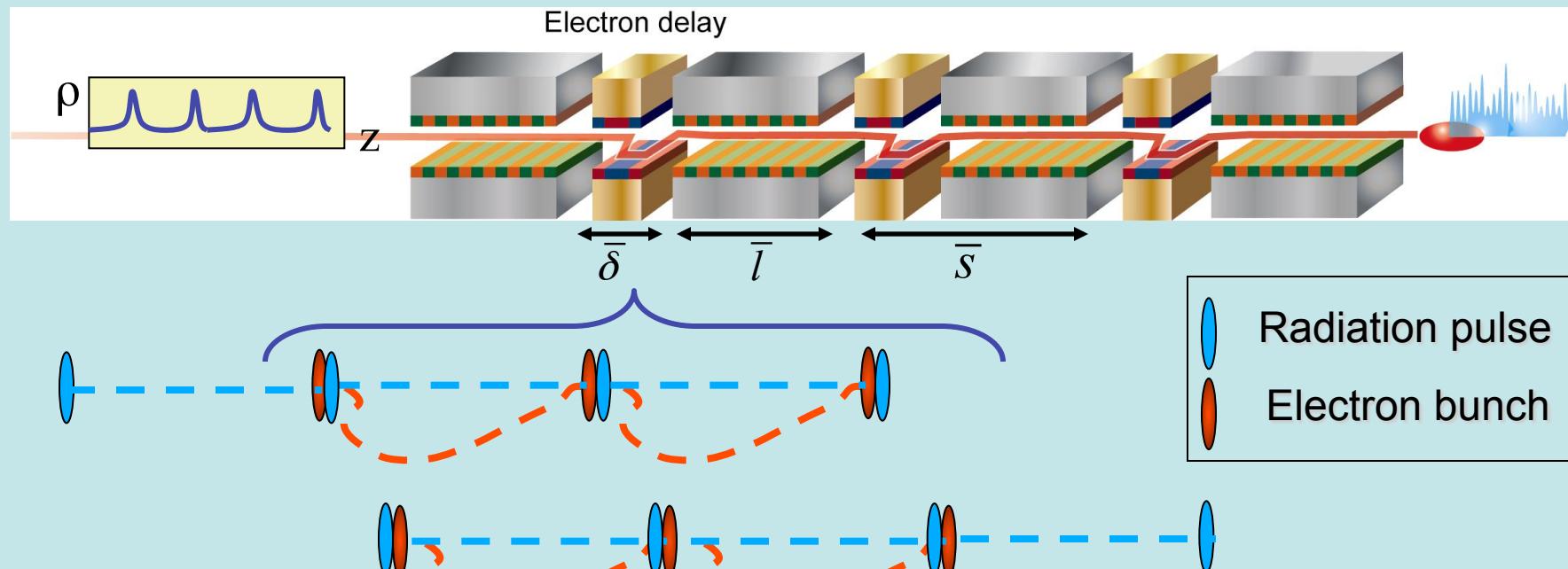
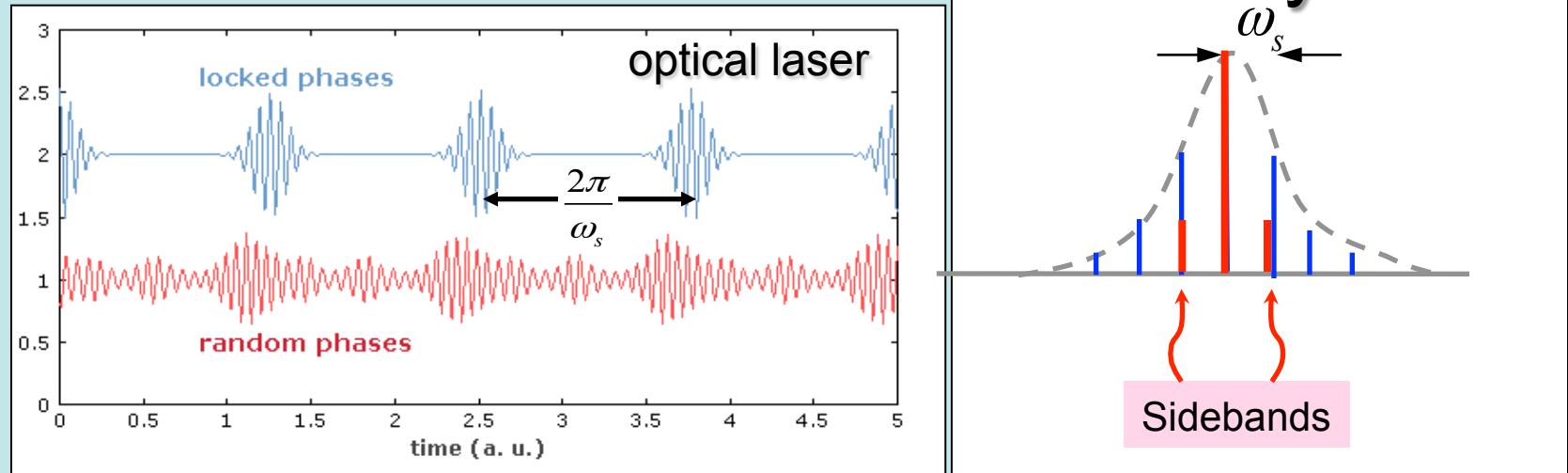
• **Electron beam after bunching at optical wavelength**

Region with large peak current gives the dominant x-ray radiation synchronized to laser source

* A. Zholents, PRST-AB, **8**, 040701(2004).



Mode-locked FEL with electron time delays*

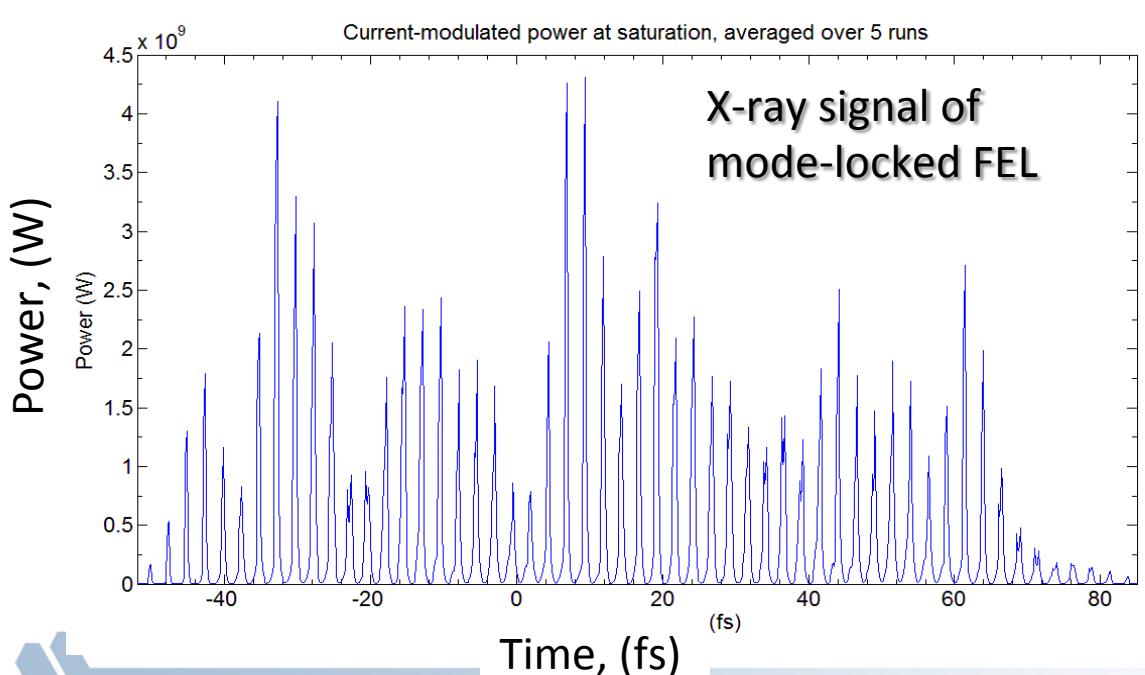
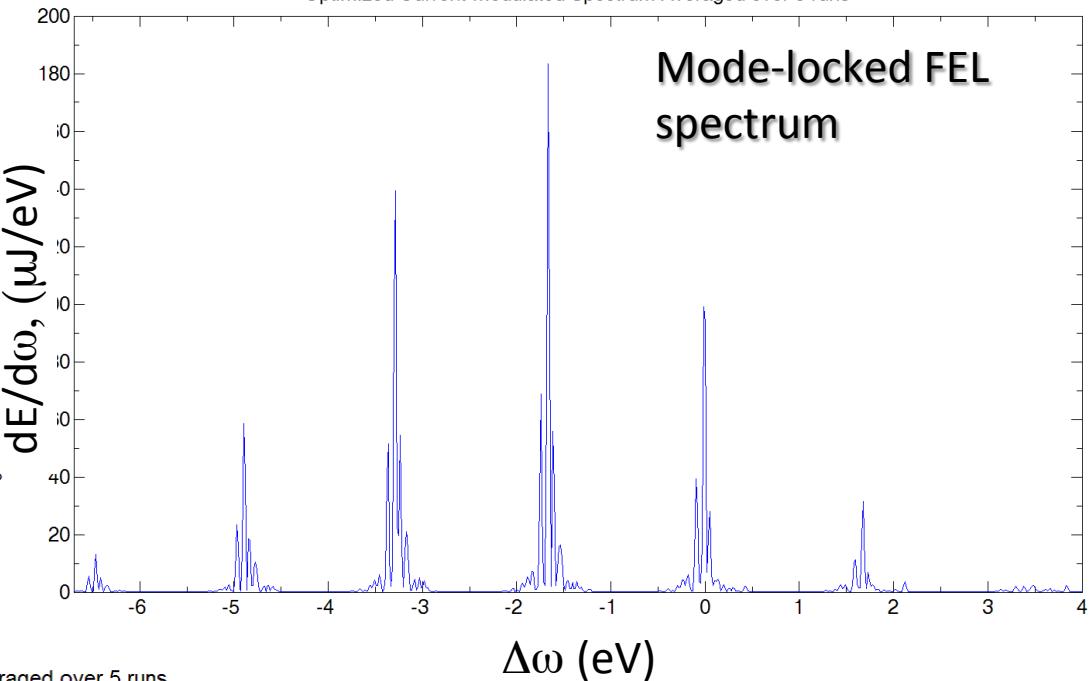
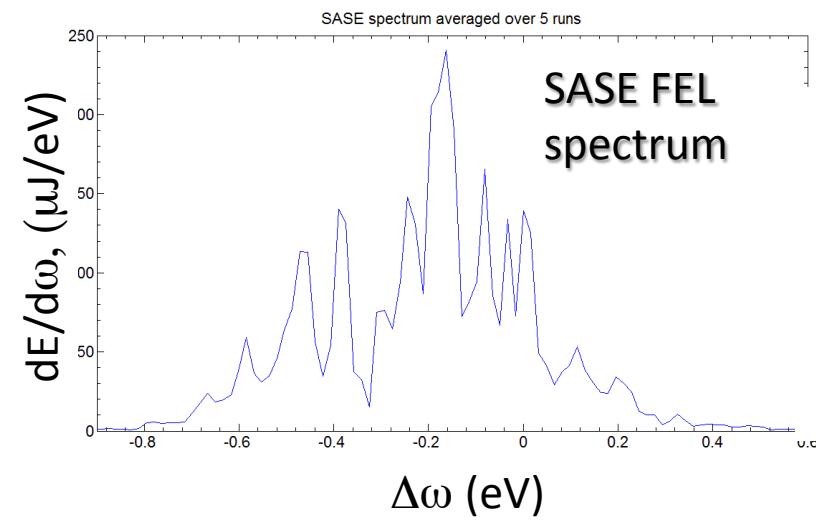


* N.R.Thompson and B.W.J.McNeil, PRL, 100, 203901(2008);

E. Kur, et al., New Journal of Phys., 13, 063012(2011);

C. Feng, et al., Phys. Rev. ST - AB, 15, 080703(2012).

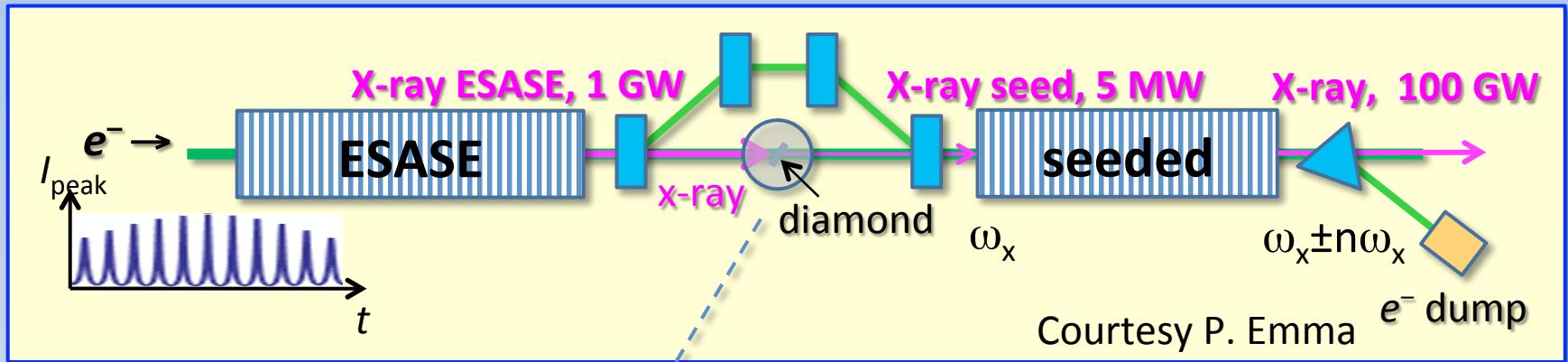
Courtesy B.W.J. McNeil



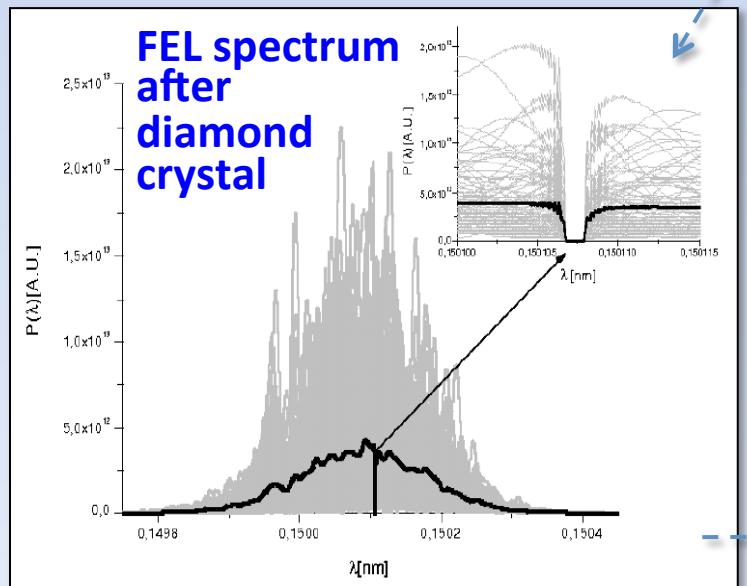
Generation of multiple frequency lines may enhance the capability of FELs in some specific applications:

- transmission and reflectivity spectra of various materials;
- resonant inelastic x-ray scattering (RIXS);
- ab-initio* phasing of nanocrystals.

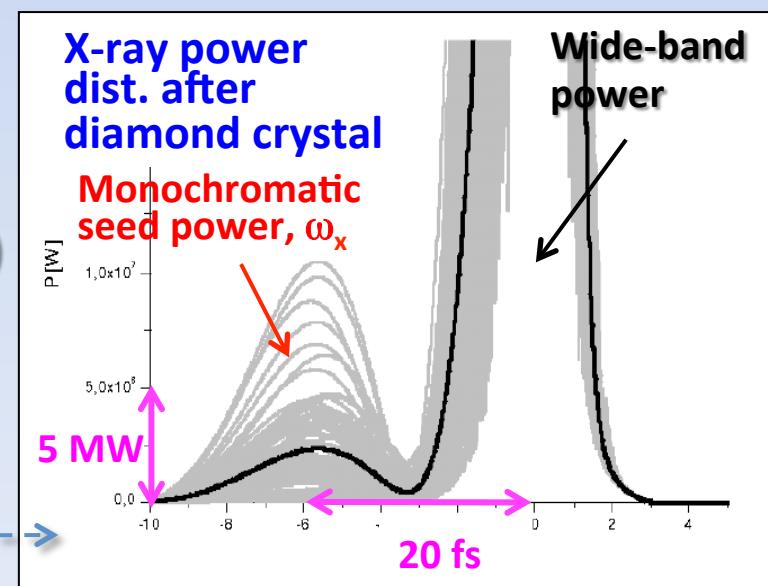
Self-seeding is a new path to a mode-locked FEL*



*) self-seeding idea by
Geloni, Kocharyan, Saldin

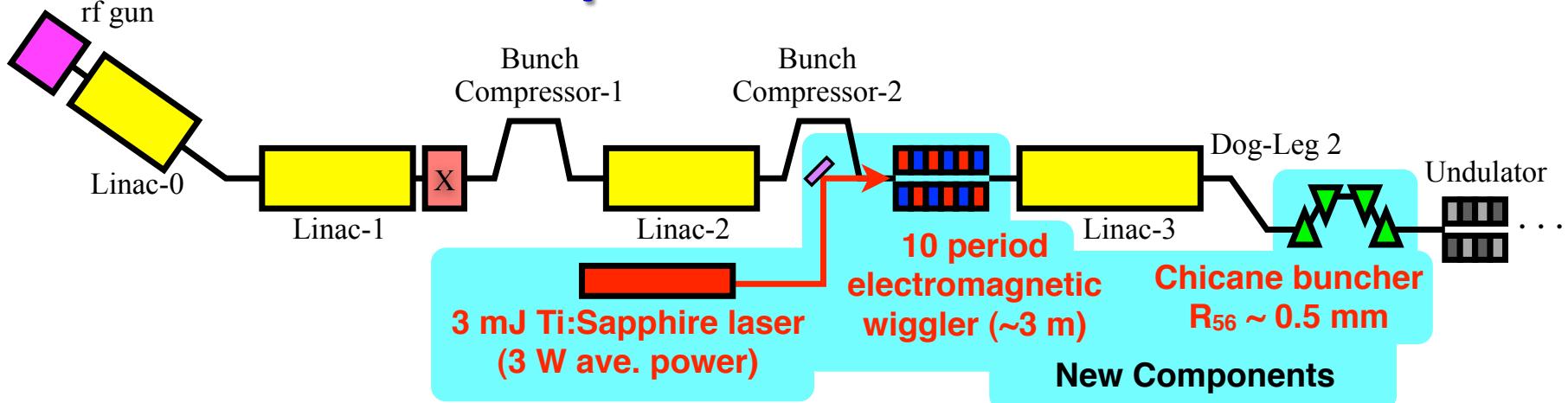


Use short, low-charge bunch to self-seed at 1.5 \AA (20-40 pC)



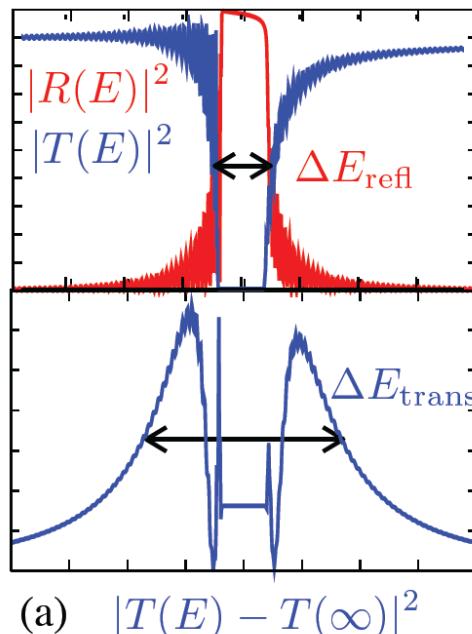
*D. Xiang, et al., Phys. Rev. ST-Accel. Beams, 1050707(2012).

Possible implementation at the LCLS

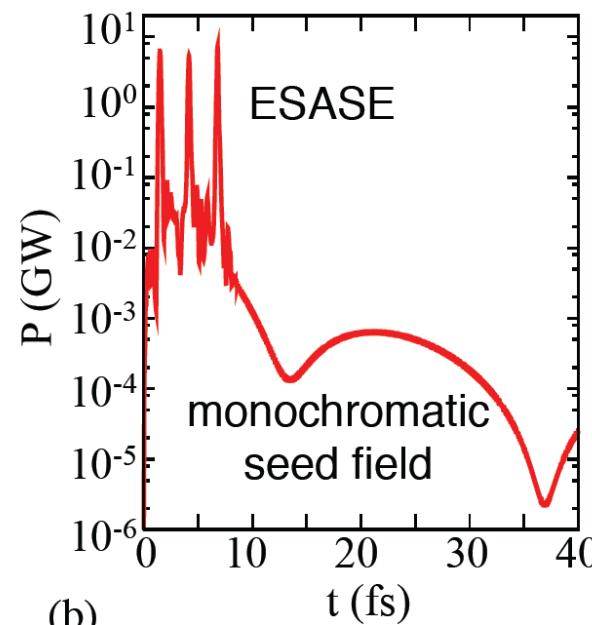


Schematic of equipment additions within current LCLS layout.
Items highlighted in cyan are the new components.

Bragg backward scattering



Bragg forward scattering



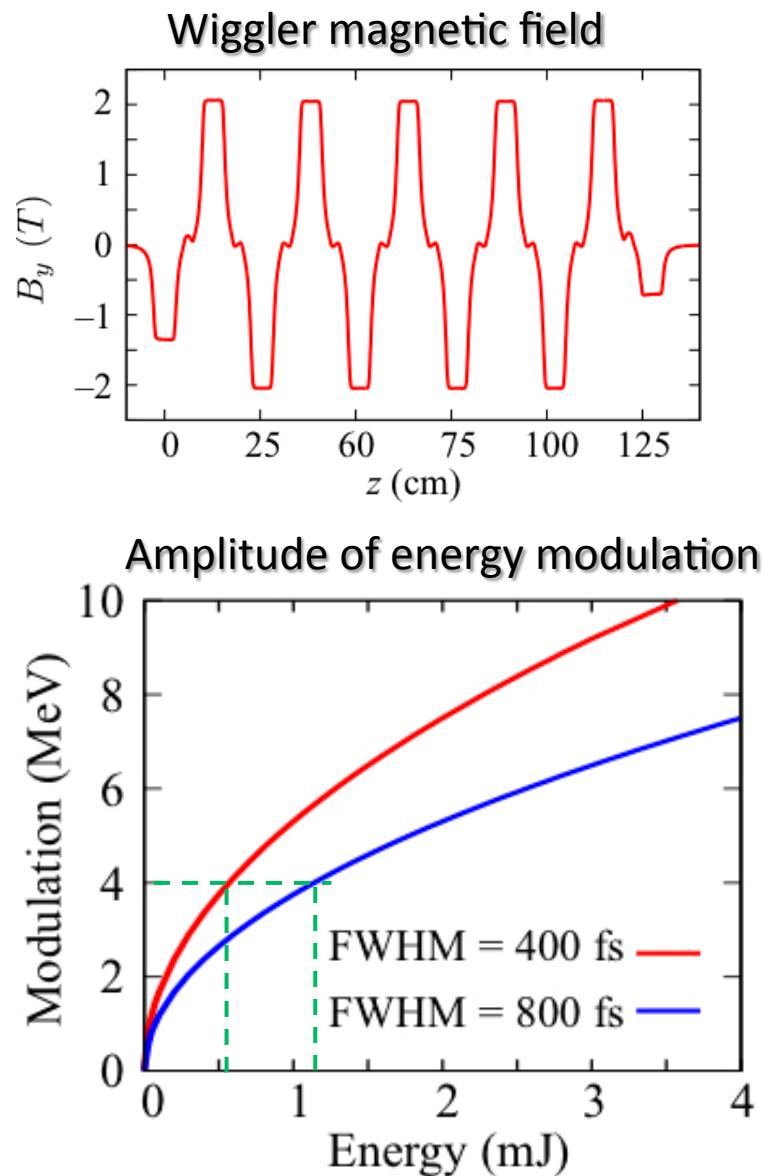
Example of the seeding field for the proposed system



Possible implementation at the LCLS (2)

Nominal parameters used in simulations

Parameter	Symbol	Value
Peak laser power		1.3 GW
Electron beam energy spread	σ_γ	2 MeV
Wiggler length	L_u	2.5 m
Wiggler period	λ_u	25.5 cm
Wiggler parameter value		31
Energy modulation amplitude	$\Delta\gamma$	4 MeV
Electron energy at wiggler	$\gamma_r mc^2$	4.5 GeV
Electron energy at buncher	$\gamma_0 mc^2$	13.6 GeV
Momentum compaction of buncher	R_{56}	0.55 mm
Total length of buncher		$\lesssim 10$ m
Final spike peak current	I_{peak}	10 kA
Current spike duration (FWHM)		0.5 fs



Possible implementation at the LCLS (3)

Bragg reflection condition from the (004) atomic planes of diamond

Length over which the field is reflected from the crystal $\sim 23 \mu\text{m}$

Bragg angle $\sim 54^\circ$, 8 keV x-ray

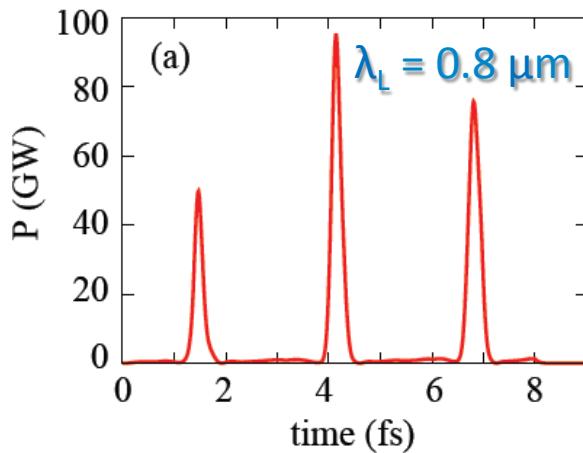
$$\Delta t_{\text{wake}} \sim \frac{\Lambda^2 \sin \theta}{cd} \approx 15 \text{ fs}$$

Duration of the “wake”

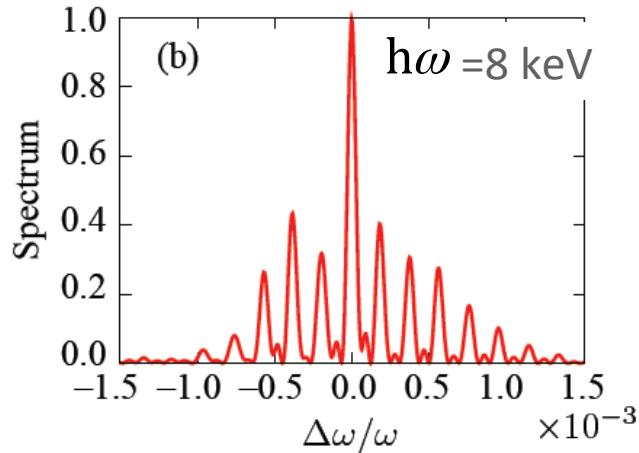
Diamond crystal thickness, 100 μm

Possible implementation at the LCLS (4)

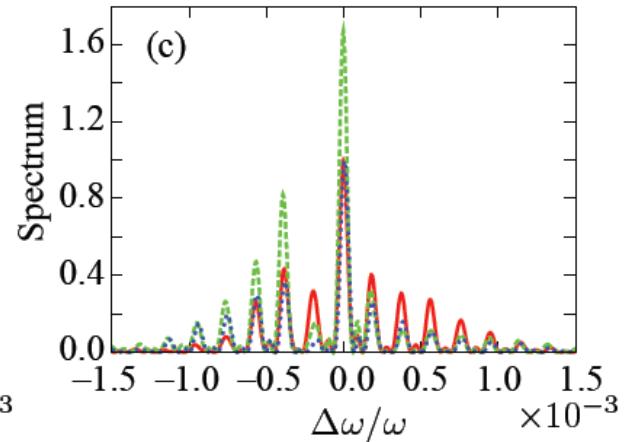
Simulation results



Single shot x-ray power profile



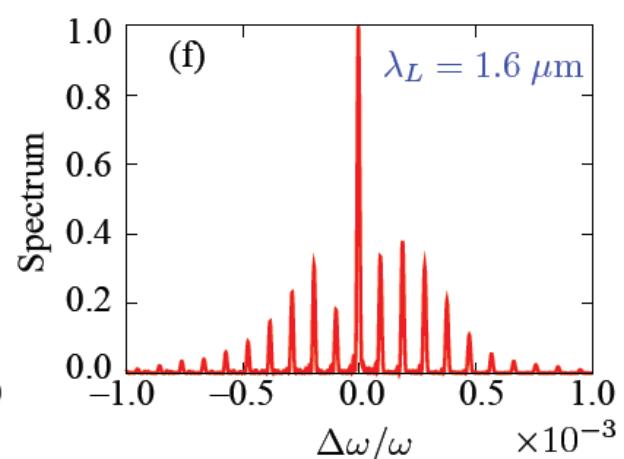
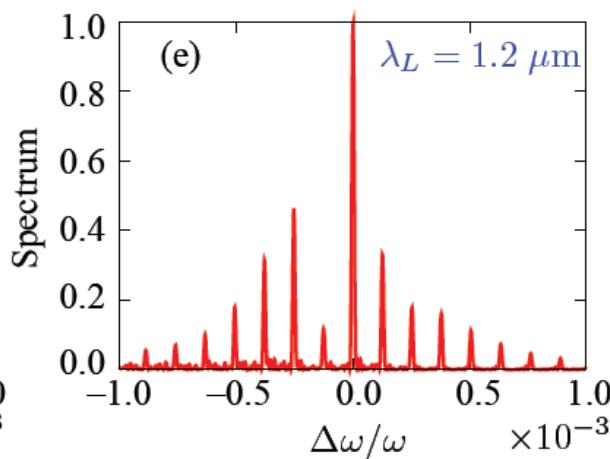
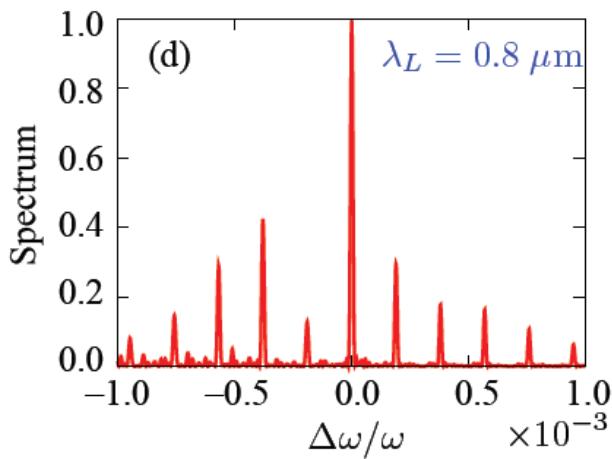
Single shot x-ray spectrum



Three statistically independent trials showing the fluctuation level due to SASE

Possible extension to a better mode-locked FEL

Using reflection from 331 atomic planes in diamond for 7.6 keV x-rays leads to a seeding wake structure ≥ 50 fs and ≥ 40 fs long bunch train*



Single shot x-ray power profile as before, but with 5 times narrower spikes

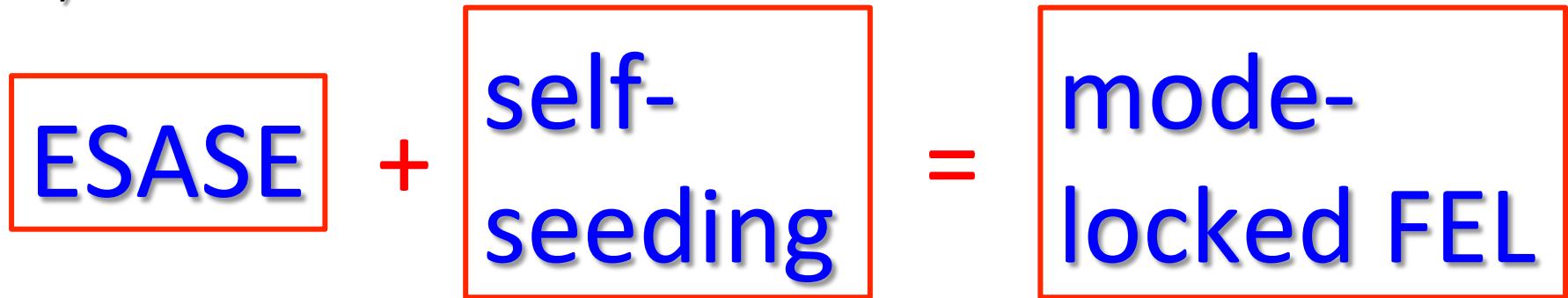
Changing laser modulation frequency allows control over spike separation

* longer delay chicane than is presently available at the LCLS self-seeding monochromator is required

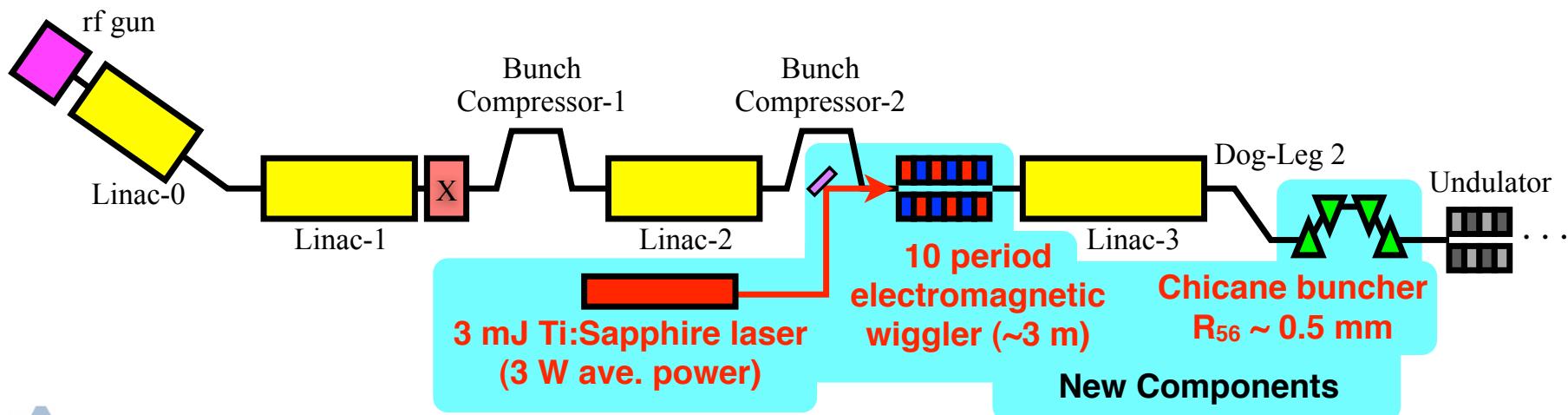


Summary

1)



2) Implementation of mode-locking at LCLS is possible with minimal perturbation to current operation



Thank you for your attention